

RHIC II High p_T Measurements and Bjorken NON Scaling

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Outline of Presentation

- Local Bjorken Scaling Violations
 - Rapidity “Triangle”, BGK model.
 - CGC Models?
- Local Scaling Violation Effects in A-A
 - $RAA(\varphi, \eta, b)$
 - Rotation and Dynamical Twists
 - Moments and Flow
- What do we need at RHIC II?
 - Some complications
 - High p_T , High luminosity, Identified Particles, High rapidity and full azimuthal acceptance

I. Nuclear Geometry and Bjorken Scaling Violations

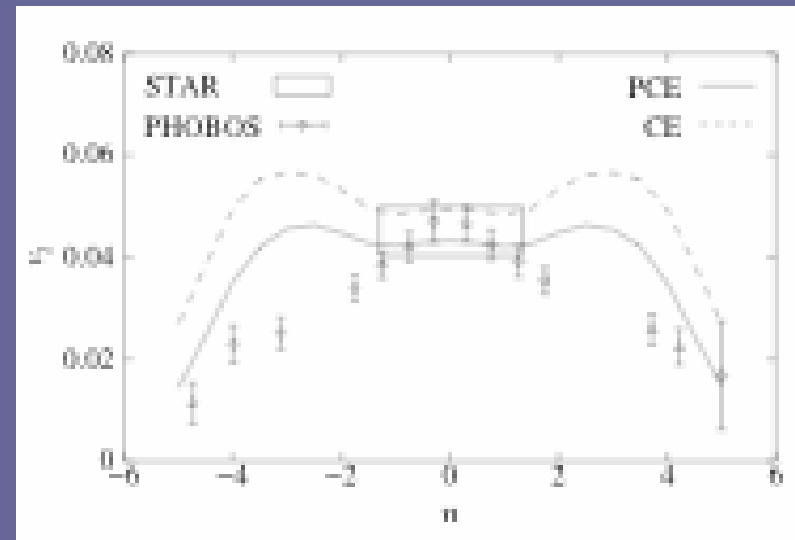
Bjorken Scaling

- Assume boost invariant rapidity structure of produced low p_T particle distributions in the initial state (mid rapidity plateau)
- Boost invariant initial distribution fed into hydrodynamic and flow calculations
- Good approximation for nucleus-nucleus collisions, **only good to $O(A^{1/3}/\log(s))$**

Bjorken NON Scaling at RHIC

- Bjorken Scaling only good when parameter $A^{1/3}/\log(s) = \delta \ll 1$
- At RHIC $\delta \sim 1$, even at LHC will be ~ 0.7
- Something not right in theory vs. data for v_2 off mid rapidity
- Lets to look at whether any of this violation is from geometry

From hep-th/0410017



Details and future of hydro at RHIC
Tetsufumi Hirano right now in parallel

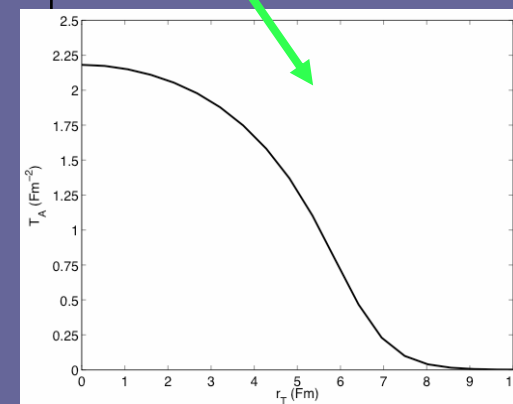
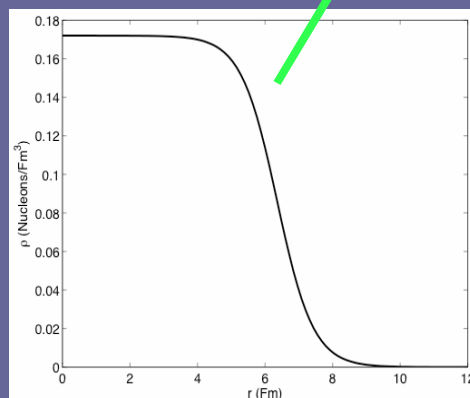
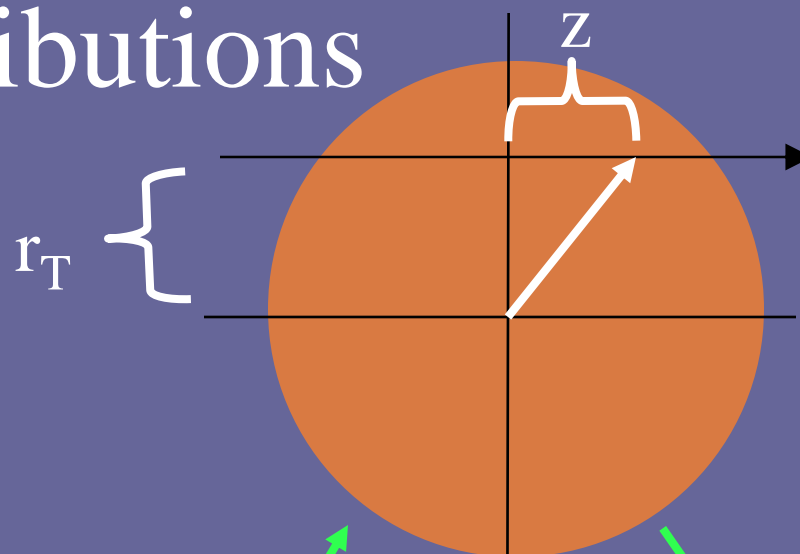
Single Nucleus Density Distributions

- Woods-Saxon Distribution

$$\rho(r) = \frac{a}{e^{\frac{r-R}{d}} + 1}$$

- Glauber Profile

$$T_A(r_T) = 2 \int_0^\infty \rho(\sqrt{r_T^2 + z^2}) dz$$



The p-A “Triangle”-BGK Model

- Low p_T particles are produced in η space as a “triangle”
 - Height $\propto v_A$
- Nucleon excitation at y_i
- Proj. color exc. $y_i < \eta < Y$
- Tar. color exc. $-Y < \eta < y_i$

$$\nu_A(b) \approx \sigma_{in} T_A(b)$$

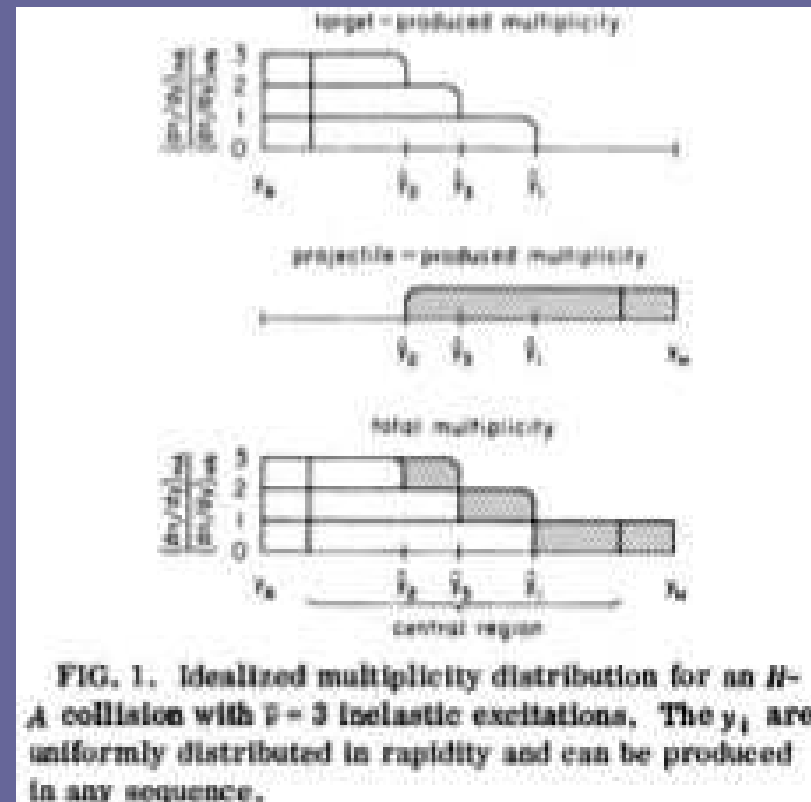
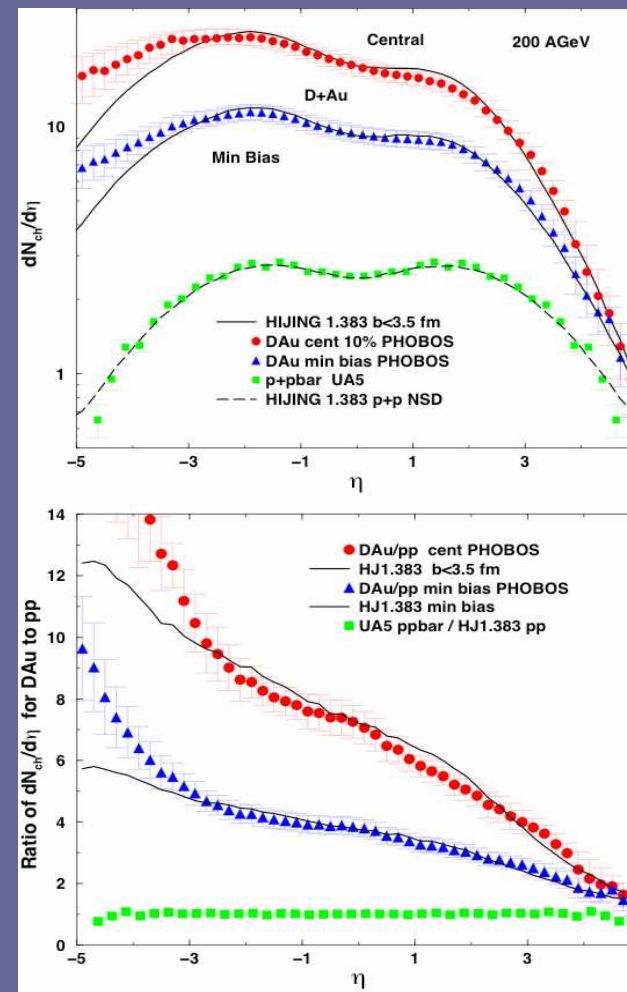


Figure from Brodsky, Gunion, Kuhn 1977.

And It Exists!!!

- Monte Carlo event generators such as HIJING have QCD dynamics built in
- The multiplicity seen in the RHIC d-A experiment has just this “triangle/trapezoid”
- The shape is even more apparent if we look at it as a ratio



Implementation for A+B

INTRINSIC LOCAL BJORKEN SCALING VIOLATION $O(A^{1/3}/\log(s))$

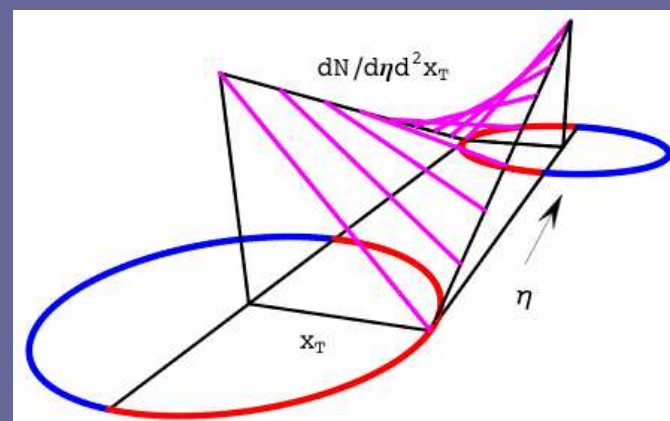
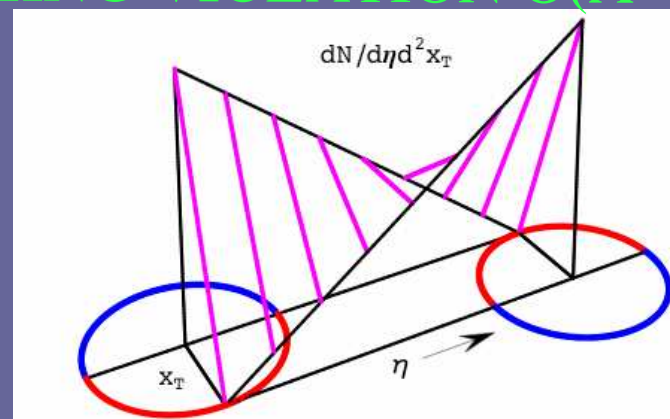
- Approximate local participant density with BGK

$$\approx \nu_A(\mathbf{x}_\perp - \mathbf{b}/2) \frac{Y - \eta}{2} + \nu_B(\mathbf{x}_\perp + \mathbf{b}/2) \frac{Y + \eta}{2}$$

- Can get global multiplicity

$$\approx \frac{1}{2}(N_A + N_B) + \frac{\eta}{2Y}(N_B - N_A)$$

- Note global multiplicity is boost invariant for $A = B$ but not local density



What about CGC Initial State?

- The Color Glass Condensate (CGC) is QCD in the saturation limit and used to calculate multiplicities in nuclear collisions in the initial state
- Gives qualitatively similar results to the BGK model when calculating local participant density
- Also effects the jets and binary distribution, important for quenching calculations



Will come back to this later

II. Local Geometry and Dynamic Effects in A-A

Planar Participant and Binary Distributions

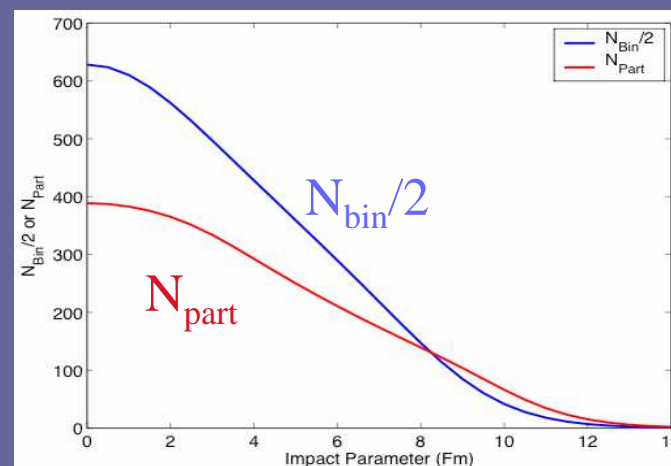
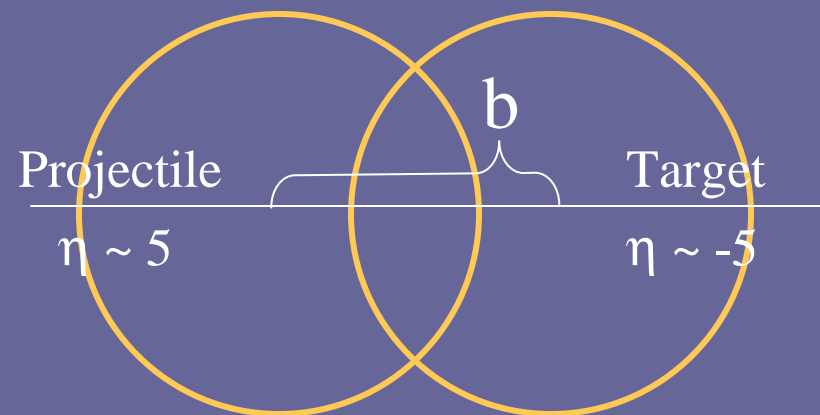
- Planar Distributions of all types

$$\frac{dN_{Part}^{P/T}}{dxdy} = T_A(r_{\pm})(1 - e^{-\sigma T_A(r_{\mp})})$$

$$\frac{dN_{Bin}}{dxdy} = \sigma T_A(r_+)T_A(r_-)$$

$$r_{\pm} = \sqrt{(x \pm \frac{b}{2})^2 + y^2}$$

- Total Participant and Binary Number calculated by integrating over transverse plane

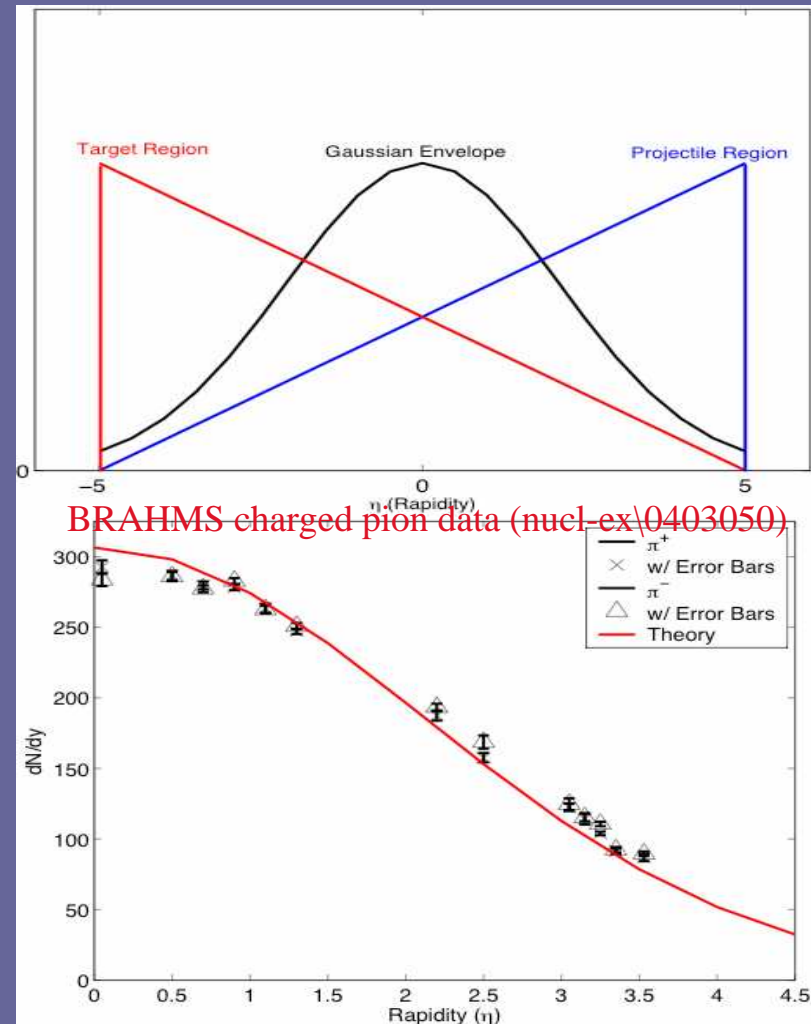


Adding Rapidity Dependence

- Distribution “inspired by” BGK model
- Exponential envelope inserted to model RHIC multiplicity

$$\frac{dN_{Part}}{dxdy d\eta} = \frac{C}{2Y} e^{\frac{-\eta^2}{\sigma_\eta^2}} \theta(Y - |\eta|) \left\{ \frac{dN_{Part}^T}{dxdy}(Y - \eta) + \frac{dN_{Part}^P}{dxdy}(Y + \eta) \right\}$$

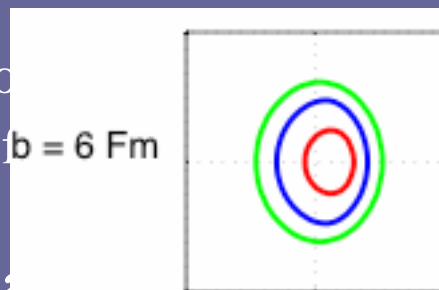
- Parameters set to RHIC central A-A
 - $C \sim 1.6$
 - $Y \sim 5$
 - $\sigma_\eta \sim 3$



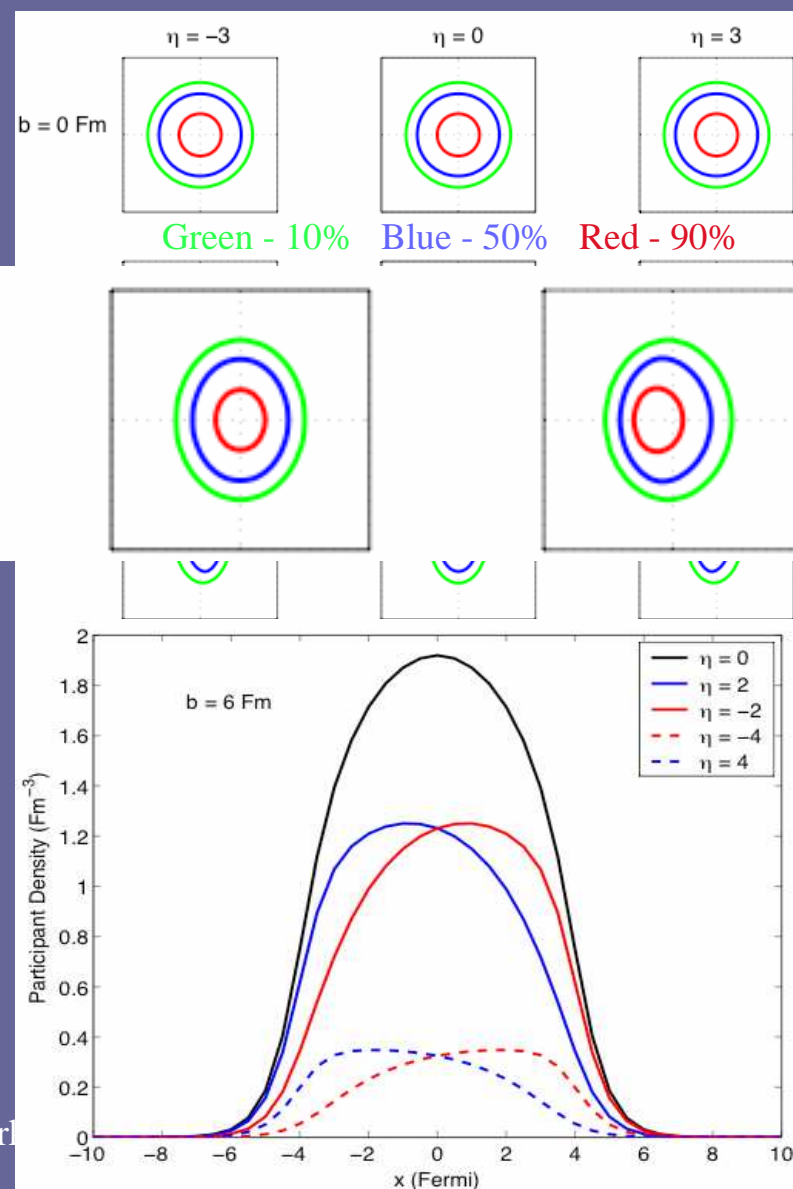
A Closer Look

- Contour Plots show particular properties of the local density

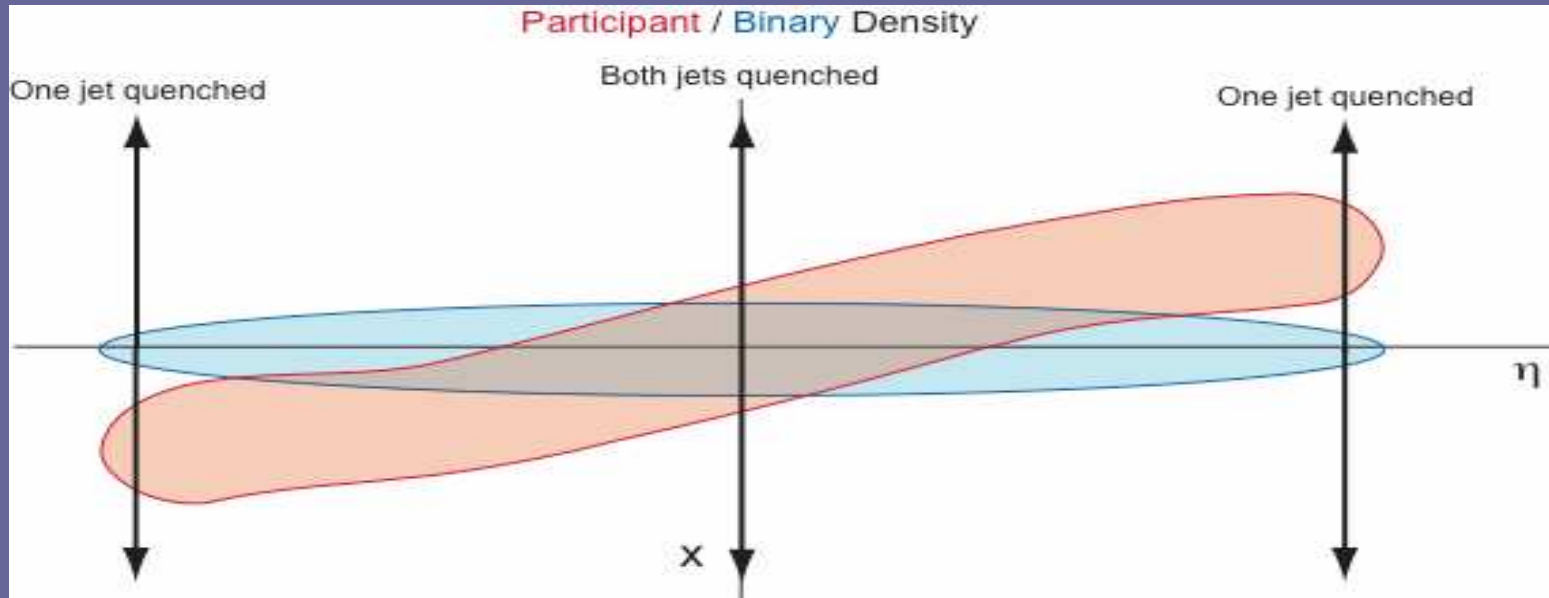
- Rotation around
- Zero effect of $b = 6$ Fm parameter



- More quantitative in second figure
- Shift can be clearly seen
- Drop due to overall exponential envelope is visible
- Similar geometries studied by Hirano/Nara



How to use Tomography



- Different rapidity regions effected by different initial nuclei (as seen from BGK model)
 - Asymmetry apparent in Participant density (rotation around y-axis)
 - Binary density unaffected (symmetric)
- Asymmetry can be probed via jet quenching
 - Long range rapidity anti correlations can be recorded.
 - Note : CGC complicates matters, stay tuned.

Opacity Line Integral

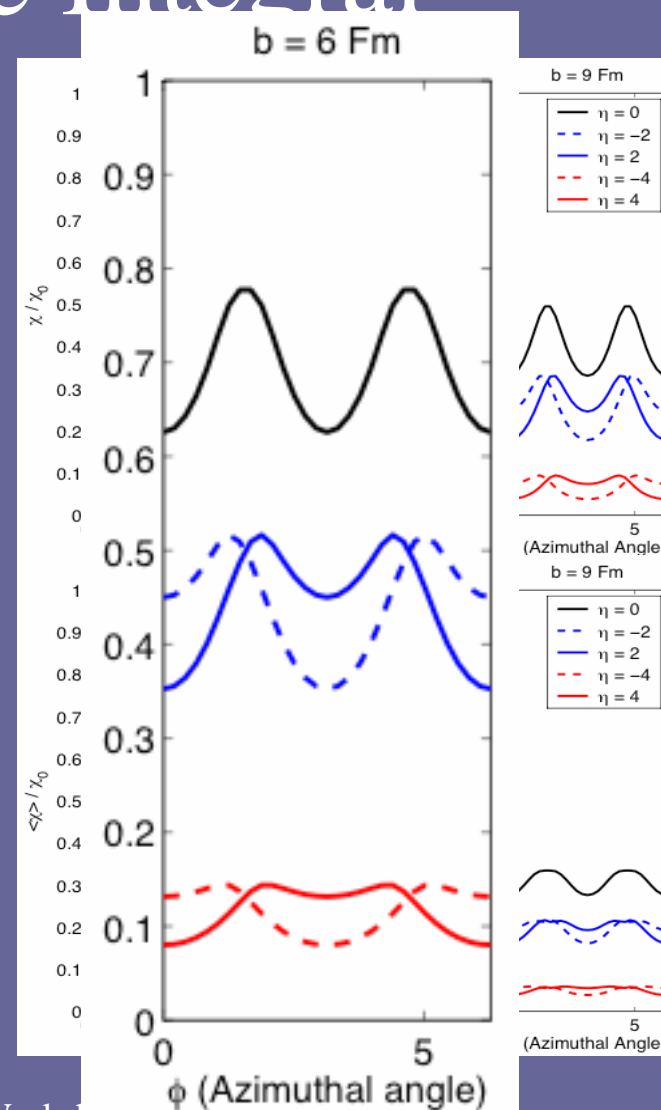
- Opacity defined as a line integral over local participant density

$$\chi_\alpha = \int_{\tau_0}^{\infty} \frac{dN_{Part}}{dx dy d\eta} (x_0 + t \cos(\phi), y_0 + t \sin(\phi), b) t^\alpha dt$$

- (x_0, y_0) origination point
- $\alpha = -1, 0, 1$

- We can average over geometrical fluctuations

$$\frac{1}{N_{Bin}} \int \frac{dN_{Bin}}{dx dy} (x_0, y_0, b) \chi_\alpha dx_0 dy_0$$



From R_{AA} to R_{AA}

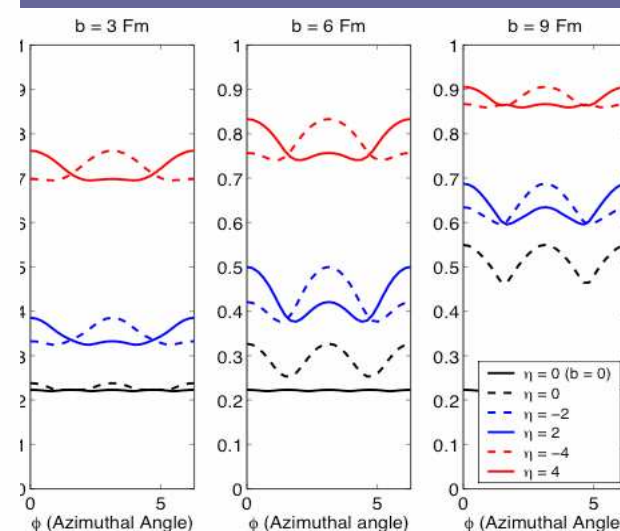
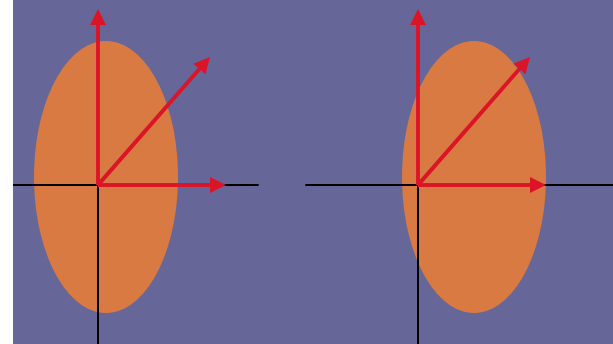
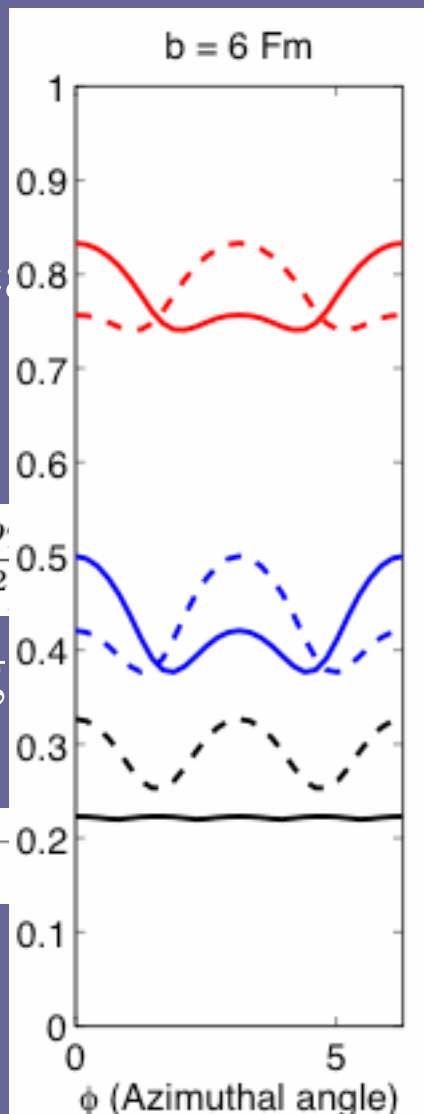
- Nuclear Modification Factor is used to nuclear effects

$$R_{AA} = \frac{dN_{AA}/d\eta d^2p}{T_{AA}(d\sigma_{pp}/d\eta d^2p)}$$

- Calculated using Drees, Jia et al.

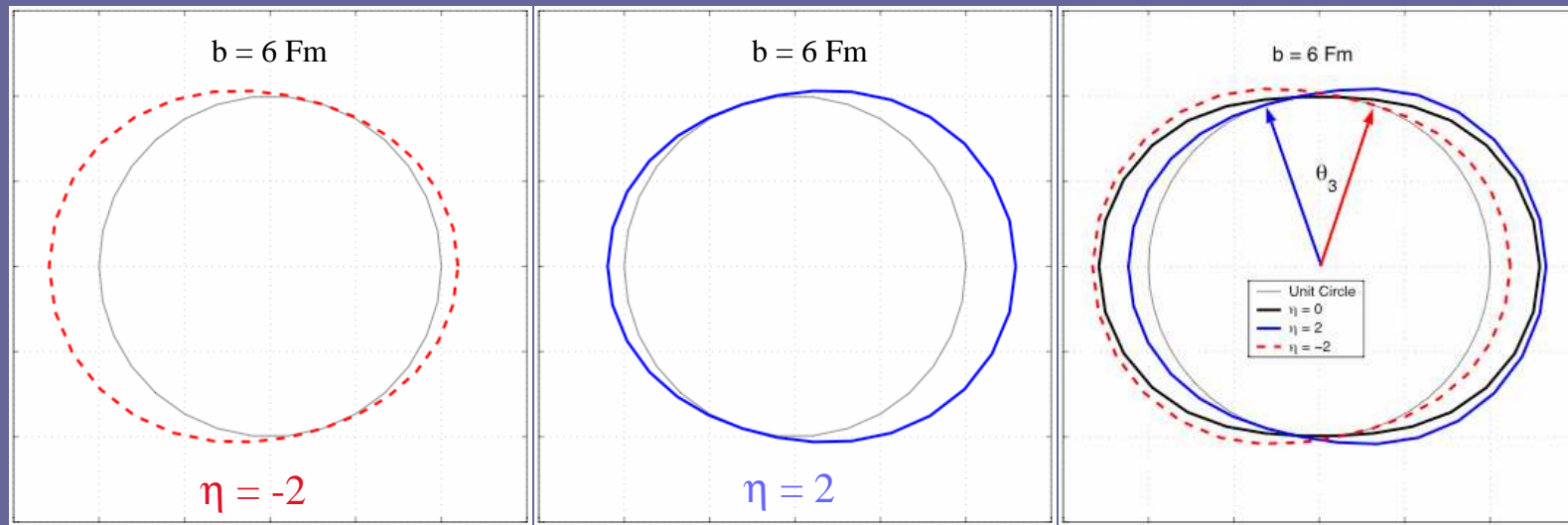
$$R_{AA} = \frac{1}{N_{Bin}} \int \frac{dN_{Bin}}{dx dy}(x_0, y_0, b) e^{-\kappa}$$

$$-\kappa \sim 0.25$$



RAA from Another Perspective

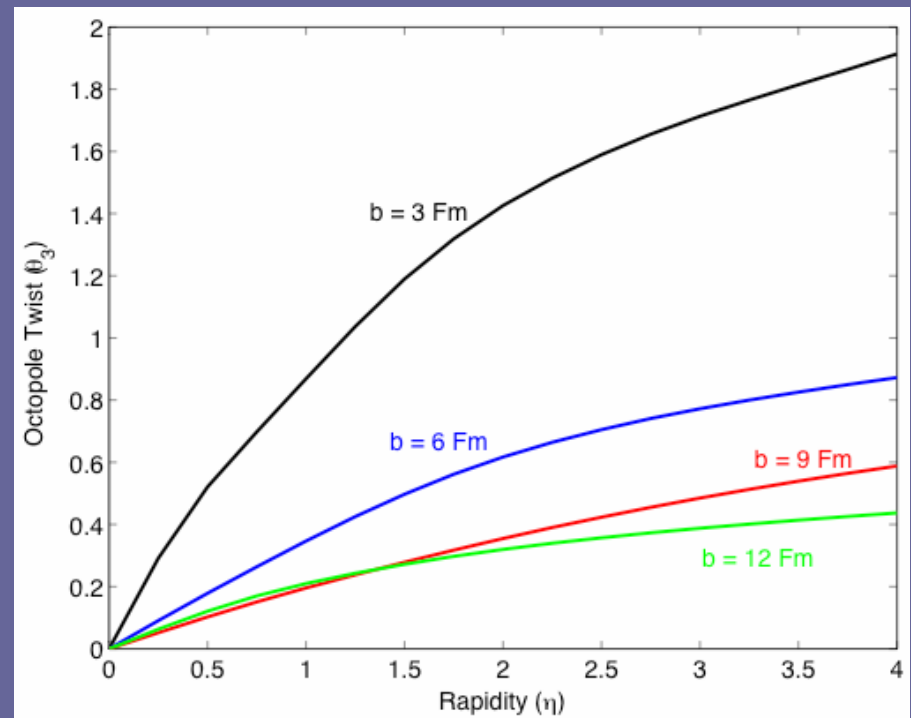
$$\frac{R_{AA}(\phi, \eta, b)}{R_{AA}^{min}(\eta, b)}$$



- Try to track asymmetry in Polar Plots
- Measure using Octupole Twist ' θ_3 '
- Long range anti-correlation over rapidity
- Dynamic effect due to long range anti-correlations in geometry

Octupole Twist Evolution

- Evolution with rapidity and impact parameter true prediction
- As one increases rapidity there is an increasing Octupole Twist
- Dynamic effect of a larger transverse displacement due to rotation around y-axis

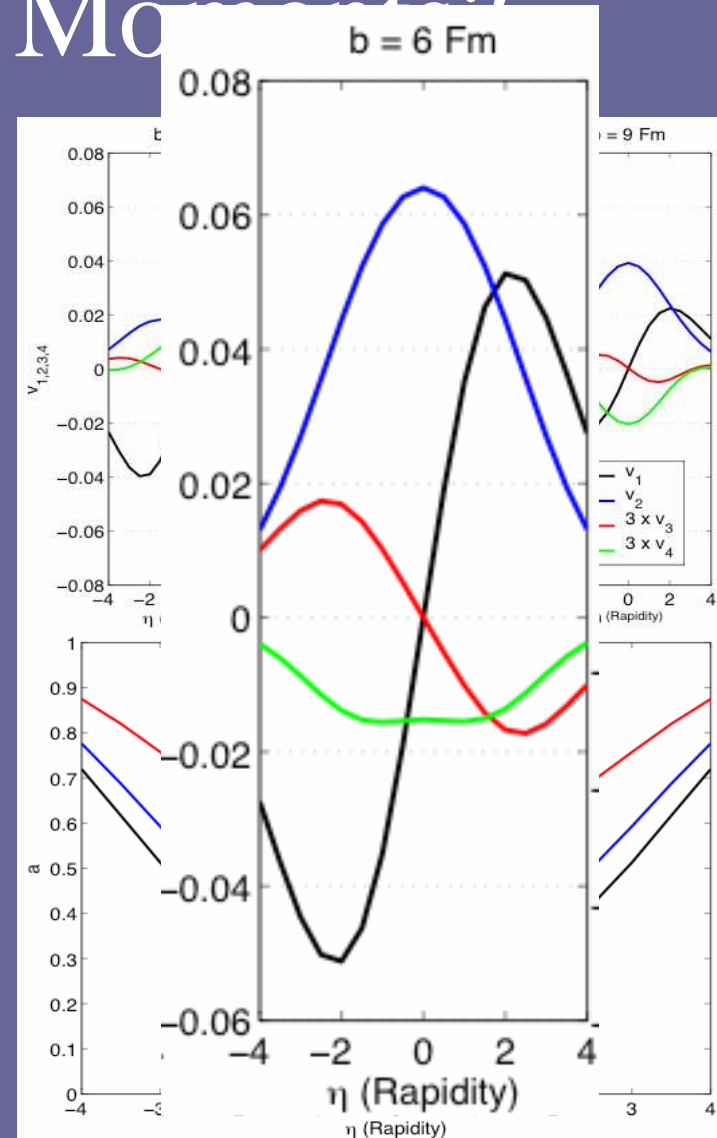


What about the Moments?

- Decompose R_{AA} into fourier moments

$$R_{AA}(\phi, \eta, b) = a(\eta, b) \left(1 + 2 \sum_{n=1}^4 v_n(\eta, b) \cos(n\phi) \right)$$

- Moments increase in magnitude with increasing asymmetry
- Higher moments increase in significance with larger b and η



What do we need at RHIC II?

5/2/2005

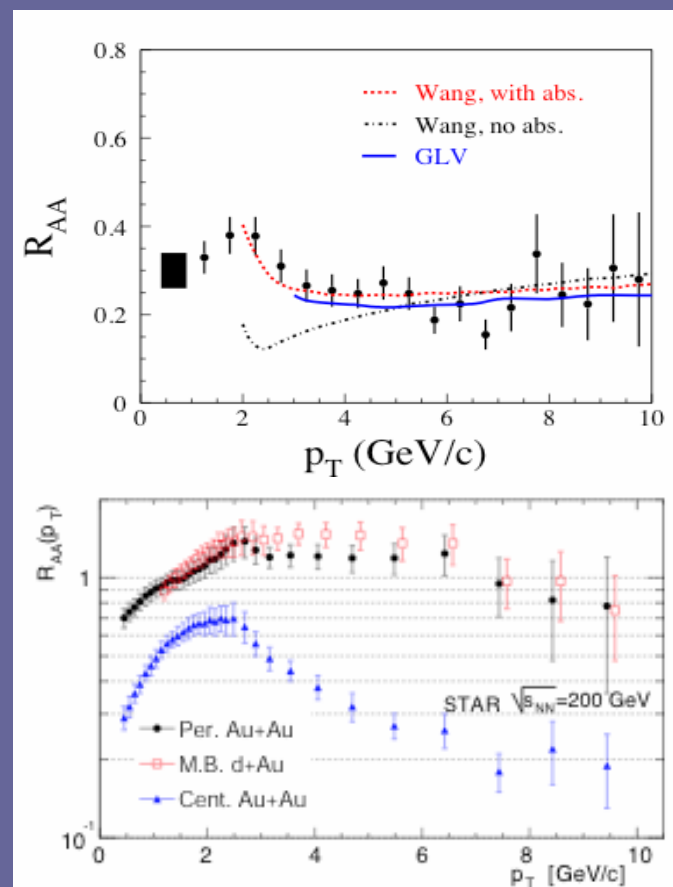
RHIC II High pT Workshop

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Particle Identification

- Tomography notoriously easier to perform using mesons (pions)
- Unidentified spectra include “baryon lump”
- To avoid this we need
 - Particle I.D.
 - Go to High p_T

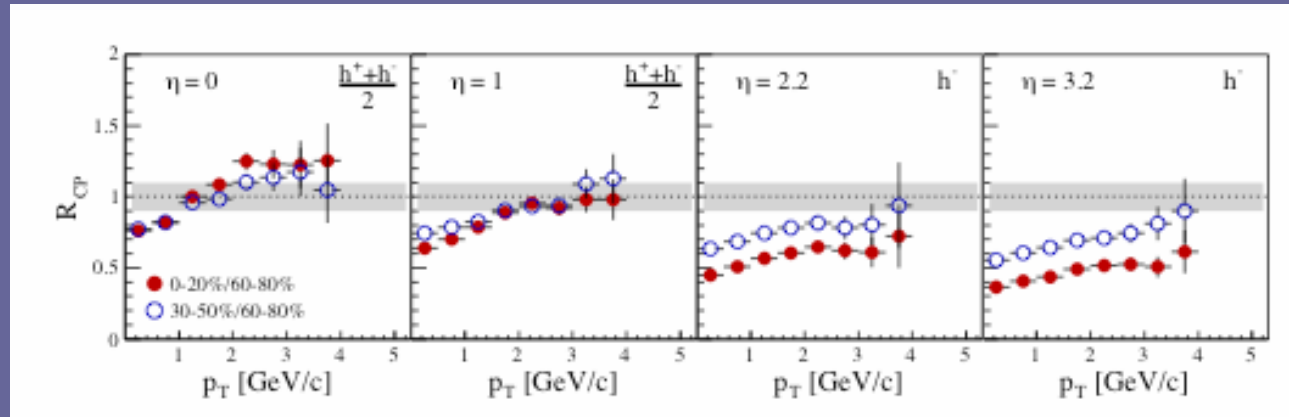
From PHENIX nucl-ex/0410003



From Mike Miller's Thesis

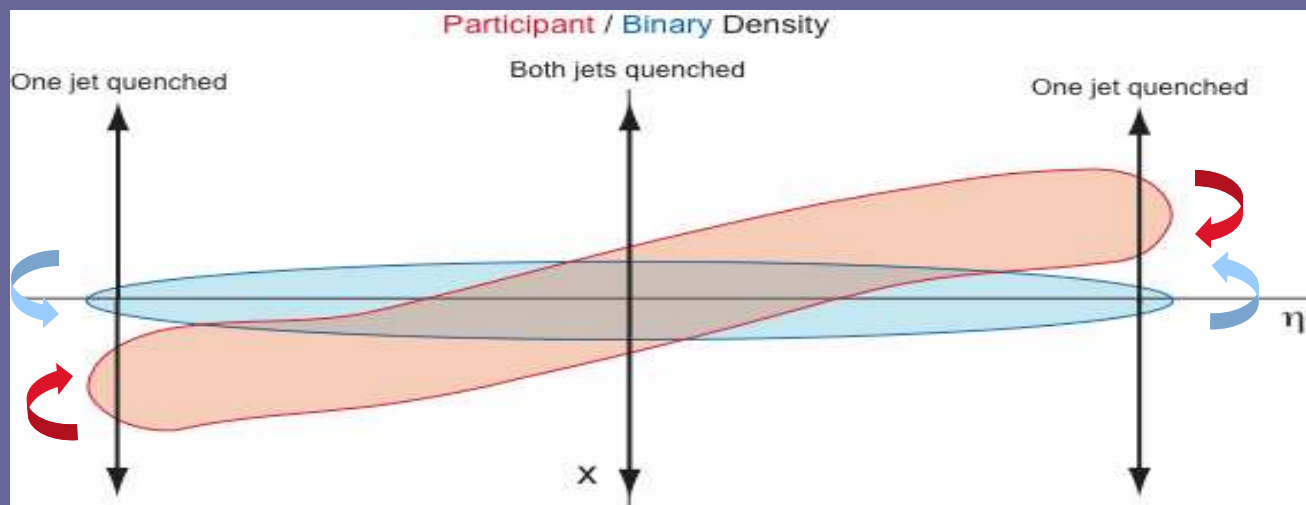
Complication d/t CGC/Shadow I

Figure from BRAHMS nucl-ex/0403005



- The d-A control experiment has provided some evidence for initial state quench off mid-rapidity
- In order to observe our effects one needs to be careful about accounting for this effect.
- Easiest solution, high enough p_T that it does not matter

Complication d/t CGC/Shadow II



- Shadowing functions tilt the Binary distribution

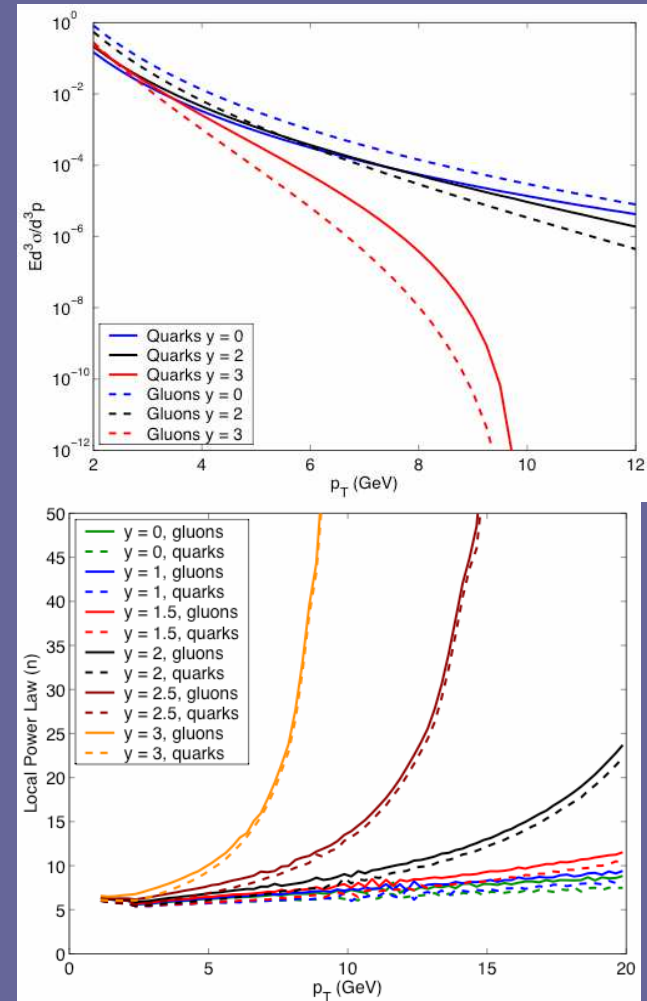
$$\frac{dN_{Bin}}{dxdy} = \sigma f_1(r_+)T_A(r_+)f_2(r_-)T_A(r_-)$$
- There are further tilts due to Cronin effects (X.N. Wang)
- Again, easiest solution is go to High p_T , still problematic though

In case you're still not convinced...

- All the quenching arguments used in previous sections are valid only at high $p_T \geq 5 \text{ GeV}$
- All moments calculated are for jet like hard particles rather than soft bulk particles
- We NEED to be at high p_T to find these interesting tomographic effects

The Problem with High p_T

- We still need to consider underlying partonic spectra
- $$\frac{d\sigma_{q/g}}{d\eta d^2p_T} \propto \frac{1}{p_T^{n(p_T, \eta)}}$$
- “kinetic quench” needs to be considered
 - Problem only gets worse with hadron spectra, $n_H \sim n_{g/q} + 2$



Finally, RHIC II

- After considering all our effects and complications we...
 - Need to detect identified particles (mesons)
 - Need to have broad coverage in η and ϕ
 - Need to cover out to large $p_T \geq 5$ GeV
 - Need High Luminosity in extreme areas

Conclusions

- Bjorken Scaling Violation is an important effect in A-A
 - A well known effect (BGK)
 - Has observable repercussions for tomography
- Including BGK effects leads to
 - Rotation of Participant Density
 - Induced Dynamic Twist Effect θ_3 in $R_{AA}(\varphi)$
 - Specific predicted fourier moments
- Further Complications from
 - CGC/Shadowing
 - Cronin
 - Need High p_T

WE NEED RHIC II !!!